Analysis of deadline assignment methods in distributed real-time systems

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Abstract

The deadline assignment problem arises in distributed systems where each subtask composing a distributed task must receive a local deadline such that the task end-to-end deadline is met. It also arises in multi-hop networks where the maximum sojourn time of a flow on each visited node must be bounded by a local deadline that allows the flow end-to-end deadline to be met. We first formalize the problem and identify the cases where the choice of a deadline assignment method has a strong impact on system performances. We then propose two deadline assignment methods: Fair Laxity Distribution (FLD) and Unfair Laxity Distribution (ULD). Both assign local deadlines to the flow. These deadlines are based on the flow minimum sojourn time that can be guaranteed on each visited node. FLD and ULD differ in the laxity distribution: fair between the visited nodes for FLD, and proportional to the minimum guaranteed sojourn time for ULD. Performances of FLD and ULD are compared with those of classical methods such as fair assignment and assignment proportional to the workload. Moreover, performance evaluation shows that FLD for NP-EDF scheduling and ULD for FIFO scheduling are good approximations of an optimal algorithm in the context of a video-on-demand system.

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1. Introduction

In this paper, we address the problem of satisfying an end-to-end real-time constraint associated with a flow visiting a set of nodes in a network subject to traffic changes. For the sake of simplicity, we use the term flow even if the results given in this paper can be applied to distributed tasks. Usually, the end-to-end constraint associated with a flow is defined in terms of its maximum end-to-end response time, called end-to-end deadline. Two basic approaches exist to deal with an end-to-end deadline.

- The first one consists in checking that the worst case end-to-end response time of any flow is less than or equal to its end-to-end deadline. The worst case end-to-end response time can be bounded by the sum of the local worst case response times. In this approach a high response time on a node can be compensated by low response times on other nodes. The main drawback of this approach is that a flow configuration change on a node can lead to recomputing the worst case response times on all nodes.
- The second approach consists in assigning local deadlines on each visited node so that the sum of the local deadlines is equal to the end-to-end deadline of the flow considered. The benefit of this approach is that a change in local flow configuration does not affect the other nodes as long as the local deadlines are still met. The main drawback of this solution is the possible rejection of a feasible flow configuration that meets the end-to-end deadline but not all the local deadlines.

In this paper, we adopt the second approach. Indeed, even if local deadline assignment is more restrictive, it is more suitable in a dynamic system where configuration changes occur frequently. The deadline assignment problem is a well-known problem arising in distributed real-time systems (e.g. real-time distributed databases, Video-on-Demand systems, production management and resource planing in an industrial process) or in multi-hop networks...
supporting quality of service, (QoS): e.g. LAN, Internet, Mobile Ad-hoc NETwork (MANET).

Our main contribution is the proposal of two deadline assignment algorithms: Fair Laxity Distribution (FLD) and Unfair Laxity Distribution (ULD). These algorithms can be applied with any scheduling algorithm able to determine the minimum local acceptable deadline for a new flow. This property is formally defined in Section 4 (see property 1). Both First In First Out (FIFO) and Non-Preemptive Earliest Deadline First (NP-EDF) meet this property. FIFO is a simple widespread algorithm and NP-EDF has been proved optimal in the uniprocessor case when flow arrival times are not known a priori Ref. [1]. We recommend the use of FLD optimal in the uniprocessor case when flow arrival times are simple widespread algorithm and NP-EDF has been proved.

Deadline First (NP-EDF) meet this property. FIFO is a Both First In First Out (FIFO) and Non-Preemptive Earliest Deadline Distribution methods: fair assignment and load proportional assignment: they allow more flows to be admitted.

This paper is organized as follows: in Section 2, we give a formal definition of the deadline assignment problem. Section 3 is a brief state of the art of existing solutions for deadline assignment. In Section 4, we present two new algorithms: FLD and ULD. Section 5 is a performance evaluation of FLD and ULD, comparatively with two classical deadline assignment methods: fair assignment and load proportional assignment. This performance evaluation shows the benefit of FLD and ULD algorithms. We then compare FLD and ULD to an optimal greedy algorithm that computes all valid deadline assignments when FIFO or NP-EDF is used. The intrinsic complexity of the greedy algorithm makes it inappropriate for an on-line deadline assignment. Being optimal, it is used as a reference for the evaluation of other algorithms. Finally, we conclude in Section 6.

2. The problem

On a node, the local deadline of a flow is the sojourn time that this flow can be guaranteed. This local deadline is obtained by establishing the following trade-off:

- a small local deadline for a flow on a node makes it easier to meet the flow end-to-end deadline, but more difficult to accept subsequent flows;
- a high local deadline for a flow on a node makes it easier to accept this flow on the node, but more difficult to meet the end-to-end deadline of the flow.

As shown by the performance evaluation reported in Section 5, the benefit of a deadline assignment algorithm is maximum when the end-to-end deadlines are neither too small (i.e. the number of accepted flows will be low with any algorithm) nor too large (i.e. the processor utilization factor becomes the only limiting factor and the local deadlines are always met). In its generalized form, the deadline assignment problem, illustrated by Fig. 1, can be formalized as follows:

Deadline assignment problem: Consider a network characterized by a directed graph G(V, L), where V denotes a set of nodes and L a set of links. Let v1 and vn+1 be any two nodes of V, let P(v1, vn+1) be a path composed of {l1, l2, ..., ln-1, ln} links and let D be a positive constant. Each link li ∈ L, i = 1, ..., n, binding node vi to node vi+1 where vi and vi+1 belong to V, can provide several QoS levels. Each QoS level Qij is characterized by two metrics: a delay Di,j and a cost cij. The problem is to find for each link li, i = 1, ..., n, the QoS level Qij meeting \( \sum_{i=1}^{n} D_{ij} \leq D \) and minimizing max\( \min_{v_{i-1}, ..., v_{n}} (c_{ij}) \).

Deadline assignment problem applied to a multimedia system: The deadline assignment problem arises when a new multimedia flow Fi requests its admission. The QoS levels, associated with link li between nodes vi and vi+1, characterized by (Di,j, cij) can be defined as follows:

- the delay Di,j denotes the deadline of flow Fi on node vi;
- the cost cij = −Nvij, where Nvij denotes the maximum number of clients that can be accepted on node vi, after the acceptance of flow Fi with the local deadline Di,j on node vi.

Arbitration between different solutions: If for a given problem, several solutions exist providing the same maximum cost, we propose the following arbitration technique: we replace in each solution the cost of links providing the maximum cost by \( -\infty \). We then select among these solutions the ones that minimize the maximum cost of a link in the path. And so on... until we get either a unique solution or several

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Fig. 1. Different QoS levels on a given path.
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